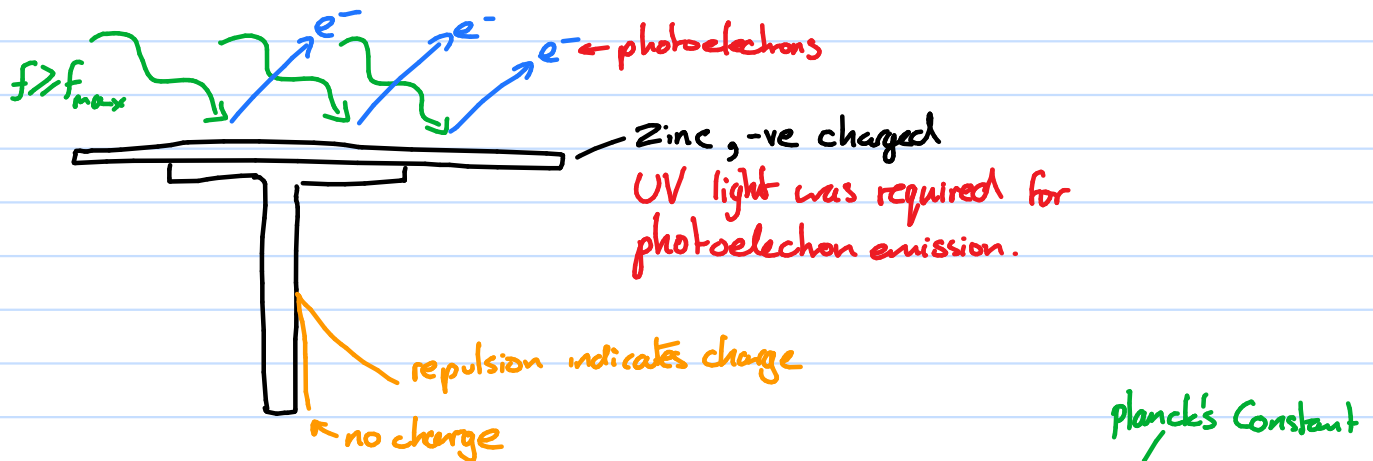


The Photoelectric Effect

- Electrons emitted from metal surface when electromagnetic radiation of sufficiently high frequency was incident upon the metal, this is the threshold frequency, f_{min} . Regardless of light intensity. Could not be explained by wave theory which stated power delivered $\propto$ amplitude².
- Photoelectron emission rate $\propto$ intensity $\propto$ amplitude² AS LONG AS $f \geq f_{min}$
- Photoelectron emission was immediate



Einstein (1905), $E \propto f$ quantised - discrete packets $E = hf$

$$h = 6.63 \times 10^{-34} \text{ Js}$$

"What if all light is quantised?" Quanta of light = photons

$$E = hf = \frac{hc}{\lambda} \quad (c = f\lambda) \quad \text{Energy conservation: } E_{in} = E_{out}$$

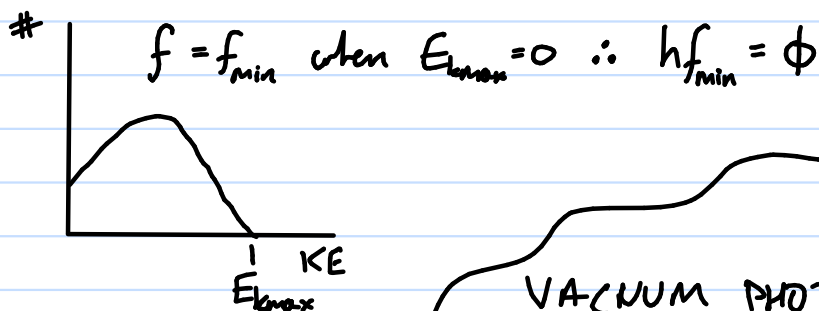
$$\overset{\text{IN}}{hf} = \overset{\text{OUT}}{\phi + E_{kmax}}$$

photon energy

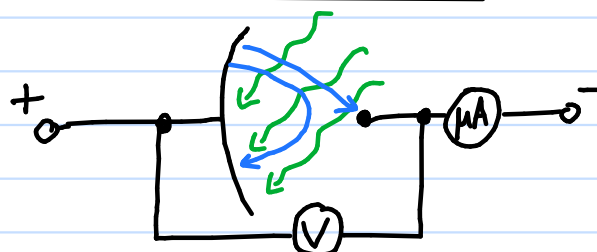
work function

maximum photoelectron kinetic energy

work function: Minimum energy needed to free electron from surface of metal



VACUUM PHOTOCELL



• When $V = V_s$ (stopping potential), $I = 0$

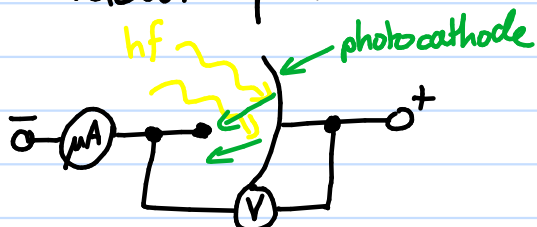
• Work done on electrons moving across photocell $W = eV$
 when $W = E_{kmax}$ then $I = 0$
 $hf = \phi + eV_s$

More about photoelectricity

$$hf = h\frac{c}{\lambda} = \phi + E_{kmax}$$

photon energy work function maximum KE of photoelectrons

Vacuum photocell

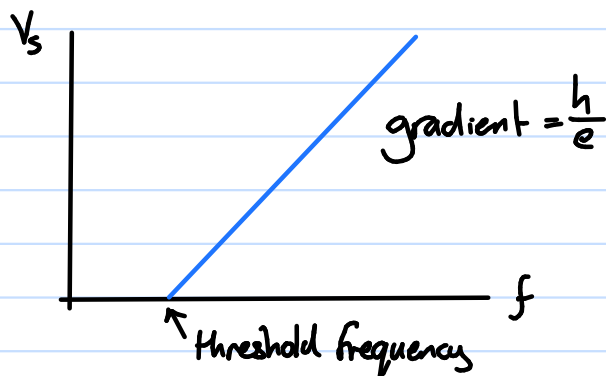


photocurrent becomes zero
when $V = V_s$, $E_{kmax} = eV_s$

Experiment to measure ϕ :

1. $V = 0$ at start
2. Increase V until photocurrent = 0
3. Measure V , $V = V_s$
4. Do for different photon energies

Results of experiment:



$$hf = \phi + eV_s \Rightarrow \text{into form } y = mx + c$$

Variable constants variable con con

$$V_s = \frac{h}{e}f - \frac{\phi}{e}$$

If e is known, $h = \text{gradient} \times e$

read a value of V_s and f from graph,
use to calculate ϕ

$$Q = It$$

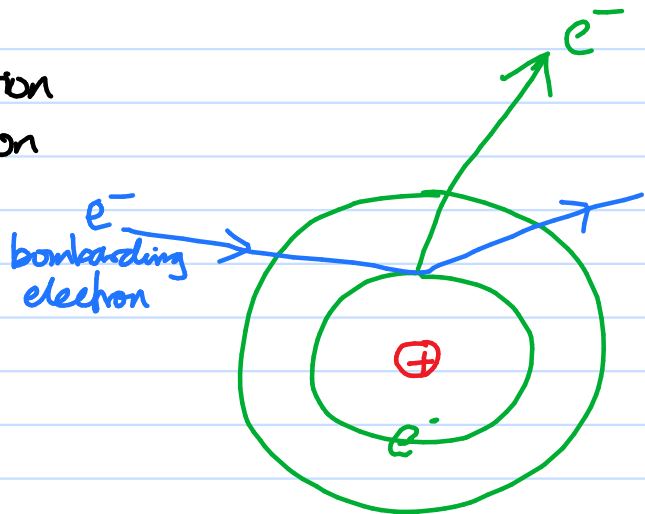
Collisions of electrons with atoms

Two things can happen:

- Ionisation
- Excitation

IONISATION

- Changing atoms into ions
- we are interested in ionisation by bombardment, always get +ve ions by this method

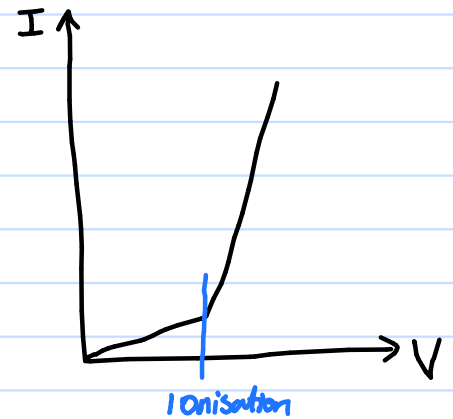
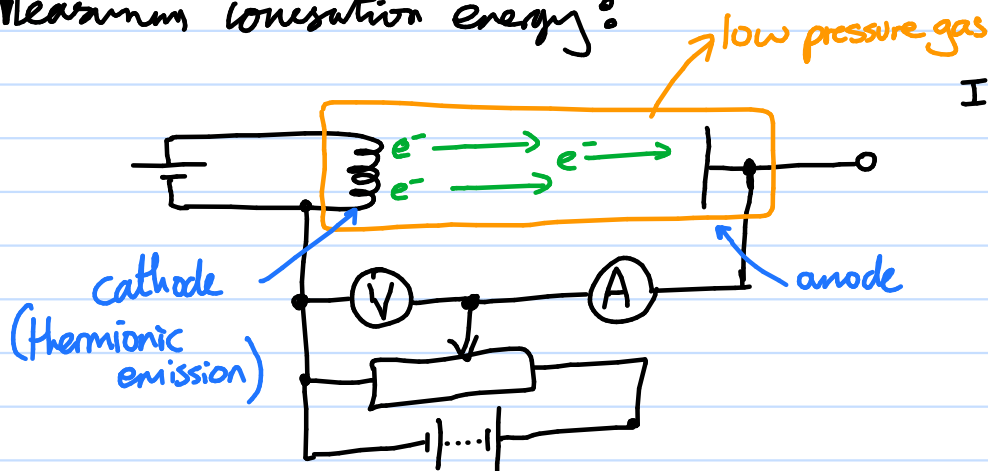


Ionisation energy: Minimum energy needed to free an electron from the atom in the ground state

fill shells 2, 8, 18

A bombarding electron carrying KE greater than ionisation energy of atom in ground state can ionise the atom.

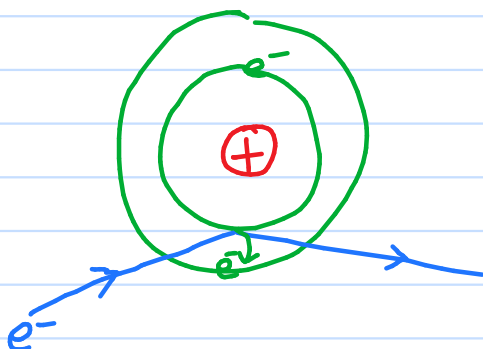
Measuring ionisation energy:



$$V = \frac{W}{q} = \frac{W}{e} \rightarrow W = eV$$

1 eV of energy is transferred when 1 electron moves across a p.d. of 1 V

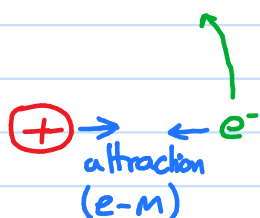
EXCITATION



Excitation energy: energy absorbed by atom when it becomes excited (stores energy)

Discrete set of excitation energies possible

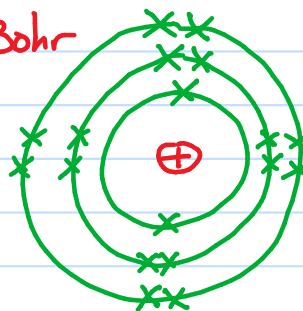
Energy levels in atoms



- Only certain energy levels an electron can be in. (shells)
- From Chemistry:

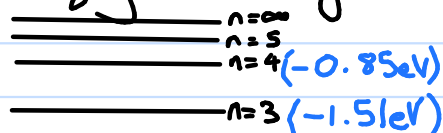
2 electrons in first shell because they are fermions

Bohr



n = principal quantum no.
Spin?
two possible spin states

Energy level diagram



For Hydrogen:

$$E = \frac{13.6 \text{ eV}}{n^2}$$

— B — $n = 2$ (-3.4 eV)

two case

— A — $n = 1$ (-13.6 eV)

A : give 14.6 eV

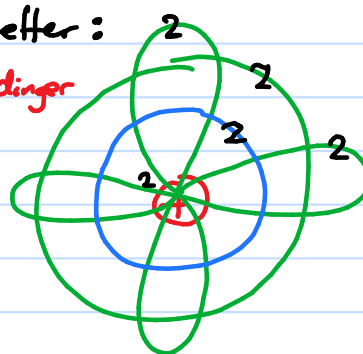
$$14.6 + (-13.6) = 1 \text{ eV KE}$$

B : give 4.4 eV

$$4.4 + (-3.4) = 1 \text{ eV KE}$$

Better :

Schrödinger



(subshells)

De-excitation:

electron moves down an energy level only if there is space to do so
Cause photon emission. $E = hf$ is the de-excitation energy

$B \rightarrow A$

$$-3.4 - (-13.6) = 10.2 \text{ eV}$$

$$10.2 \text{ eV} \times 1.60 \times 10^{-19} \text{ J/eV} = 1.632 \times 10^{-18} \text{ J}$$

$$f = \frac{1.632 \times 10^{-18}}{6.63 \times 10^{-34}} = 2.46 \times 10^{15} \text{ Hz}$$

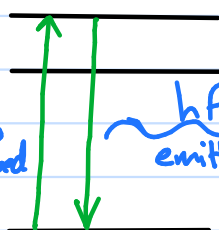
$$c = f\lambda \rightarrow \lambda = \frac{c}{f} = 122 \text{ nm UV}$$

Fluorescence

- High energy photon absorbed
- Two or more lower energy photons emitted

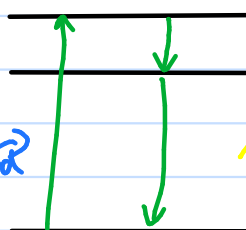
excited states

hf absorbed



hf emitted

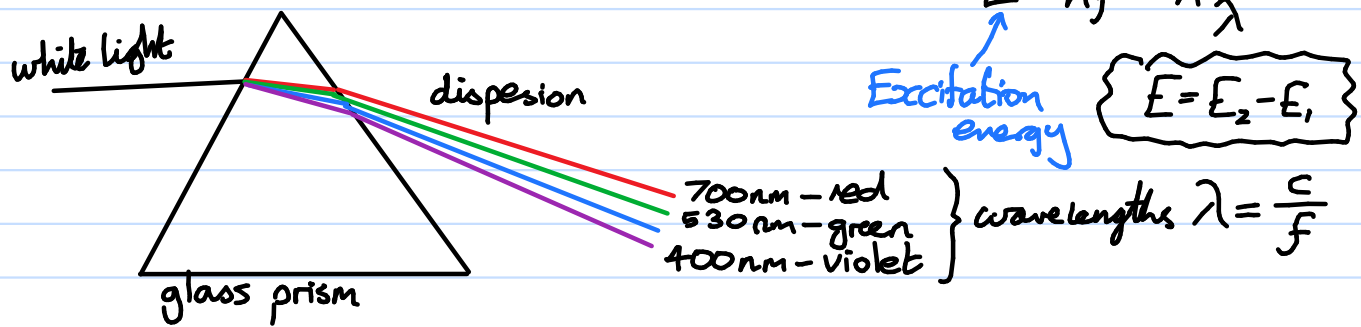
hf absorbed



hf
 hf

emitted photon each lower energy than absorbed photon

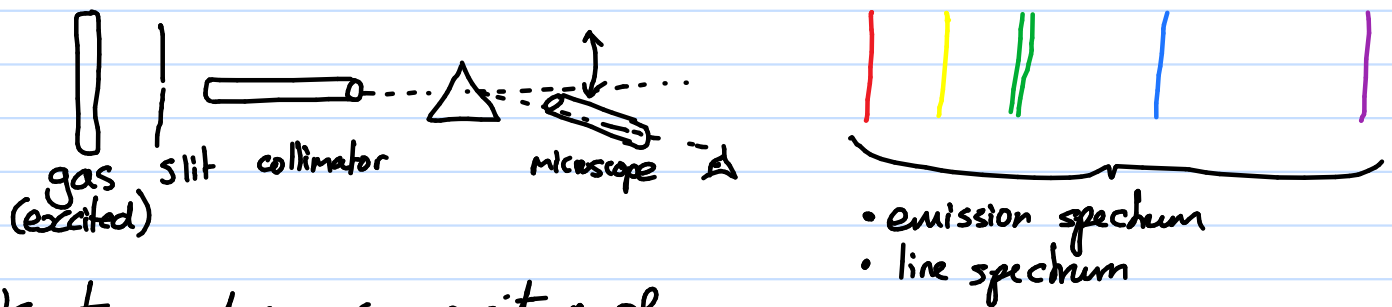
Energy levels and spectra



Spectrum: the colours of light emitted from a source

- Hot bodies - produce a continuous spectrum
- De-excitation causes discrete spectrum
- !! Certain colours because there are certain excitation energies
- ∴ Certain values of photon energy. (quantum)

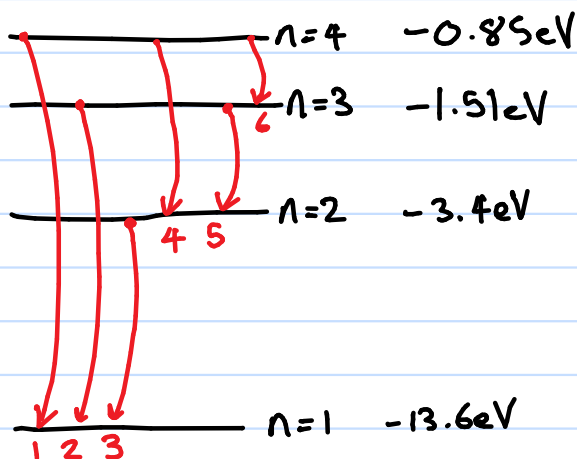
Producing a line spectrum



- Use to analyse composition of gas.
- called spectrometry.

Hydrogen spectrum

$$E_n = \frac{13.6\text{eV}}{n^2}$$



$$1 \cdot -0.85 - (-13.6\text{eV}) = 12.75\text{eV}$$

$$\cdot 12.75 \times 1.60 \times 10^{-19} = 2.04 \times 10^{-18} \text{ J}$$

$$\cdot \lambda = \frac{hc}{E} = \frac{6.63 \times 10^{-34} \times 3.00 \times 10^8}{2.04 \times 10^{-18}} = 97.5\text{nm}$$

$$4 \cdot -0.85 - (-3.4) = 2.55\text{eV}$$

$$\cdot 2.55 \times 1.60 \times 10^{-19} = 4.08 \times 10^{-19} \text{ J}$$

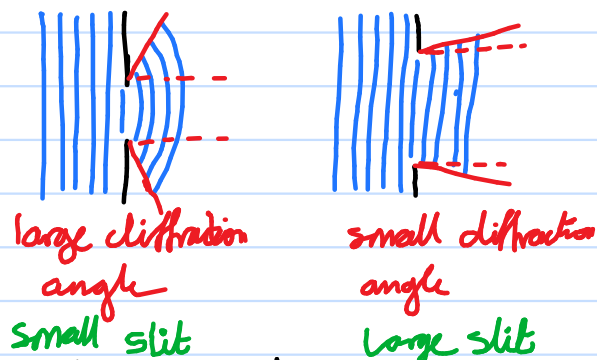
$$\cdot \frac{6.63 \times 10^{-34} \times 3.00 \times 10^8}{4.08 \times 10^{-19}} = 487.5\text{nm}$$

Wave-particle duality

Waves transmit energy without transmitting matter

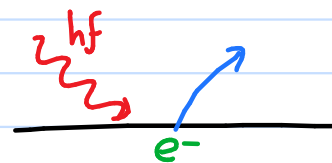
waves can superposition - add up effects of multiple waves

wave-like: DIFFRACTION



Light does this...

Particle-like: No diffraction



Photoelectric effect

... AND this! (dual nature)

De Broglie hypothesis: dual nature of matter (eg - electrons)

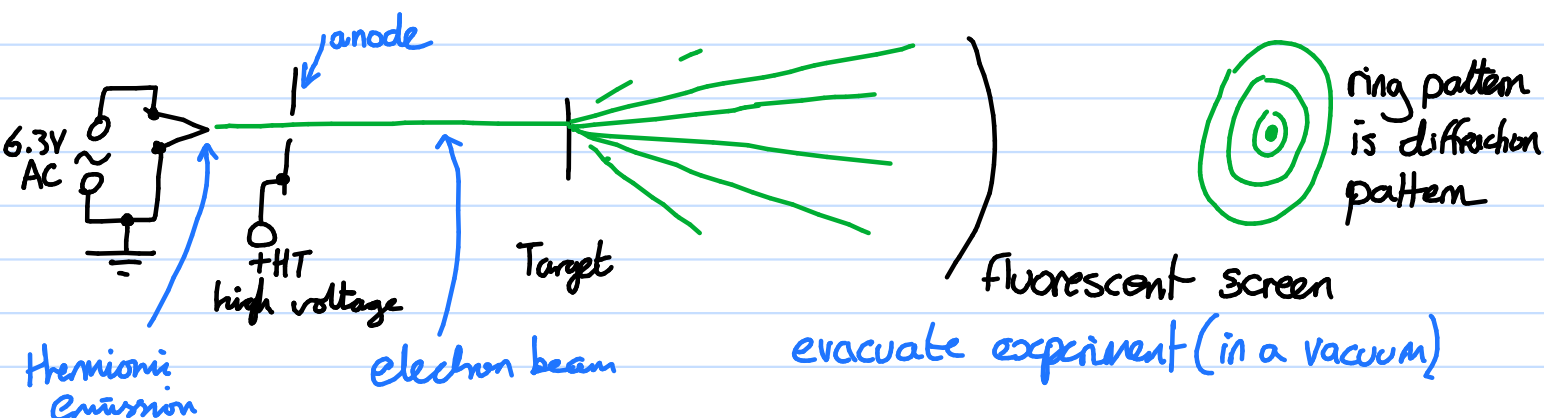
Matter waves can be observed to diffract.
What is the wavelength of matter waves?

$$\lambda = d \sin \theta$$

$$\lambda = \frac{h}{p} \quad \text{link between waves and particles!}$$

p for matter: $p = mv \quad \therefore \lambda = \frac{h}{mv}$

Evidence for wave nature of electrons



Energy levels in atoms:

- Stationary waves
 - Electron shells
- } link for later